## Converting between Polar / Rectangular form.

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Select the RUN-MAT mode from the MAIN MENU by using the arrow keys to highlight the RUN-MAT icon and pressing [EXE] or press [1].


Note: $\mathrm{i}^{2}=-1$
Abs $=$ Length of the complex number from the origin point $(0,0)$ of the complex plane.
$\operatorname{Arg}=$ the argument (angle) between the positive real axis and the complex number.
Conj $=$ The Conjugate of the complex number.
ReP = The Real part of the complex number.
$\operatorname{ImP}=$ The Imaginary part of the complex number.
Rectangular form: $\mathrm{a}+\mathrm{b} i$
Polar form: $\mathrm{rcos} \theta+i \sin \theta=\mathrm{rcis} \theta$

## Accessing the Complex Number commands




F6

Are you in degrees or radians? [SHIFT] [MENU] for SETUP, and scroll down to 'Angle'. [F1] for degrees or [F2] for radians, then [EXIT].


Is the calculator set up for Real solutions or Complex solutions?


Example 1: Convert the complex number $1+i$ into polar form.
Type in ' $1+i$ ', then for the command ' $\mathrm{r} \angle \theta$ ', press [F3], then [EXE].


In degrees
$1.414 \operatorname{cis}\left(45^{\circ}\right)$ (3 d.p.)


In radians $1.414 \mathrm{cis}(0.785 \mathrm{rad})$ (3 d.p.)

Example 2: Convert the complex number $4 \operatorname{cis}\left(60^{\circ}\right)$ into rectangular form.
Locate the angle operator, [SHIFT] [X,0,T] Type in ' $4 \angle 60$ ', then for the command ' $\mathrm{a}+\mathrm{bi}$ ', press [ $\mathbf{F 4 ]}$, then [EXE].


